

## ROBOT ODOMETRY

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- 2 Odometry Models
- 3 Unicycle Model
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# Introduction

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### Definition

“Odometry is the use of data from motion sensors to estimate the change in position over time.”

*<https://en.wikipedia.org/wiki/Odometry>*



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- ▶ *hodos* meaning travel or journey, and
- ▶ *metron* meaning measure.

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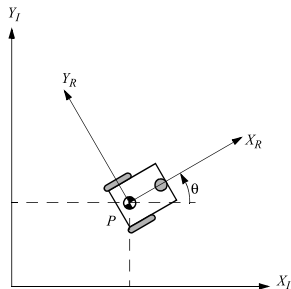
The word *Odometry* comes from the Greek words:

- ▶ *hodos* meaning travel or journey, and
- ▶ *metron* meaning measure.

Odometry is also known as *dead reckoning*.

### Robot Pose

- ▶ For simplicity, we assume that the mobile robot navigates on a two-dimensional plane.
- ▶ In this case, the robot position and orientation is described by the following state vector:
  - ▶ position  $(x_R, y_R)$
  - ▶ orientation  $\theta$ .



### Types of Localization

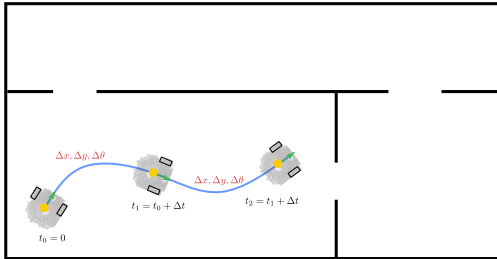
- ▶ **Relative localization** (also called incremental localization or pose tracking)  
The change of position at successive points in time is incrementally calculated and integrated relative to the starting position.  $\Rightarrow$  *Odometry*
- ▶ **Global localization**  
The robot position is determined with respect to an external reference system, e.g. to a given map or a global coordinate system.  $\Rightarrow$  *Localization*

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- $\rightarrow$  For more precision, the two methods are often combined.

### Odometry

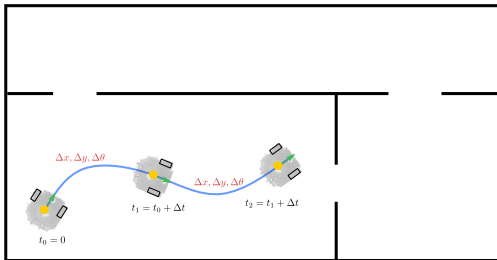
- Where is the robot relative to its previous position?



Incremental Localization

### Odometry

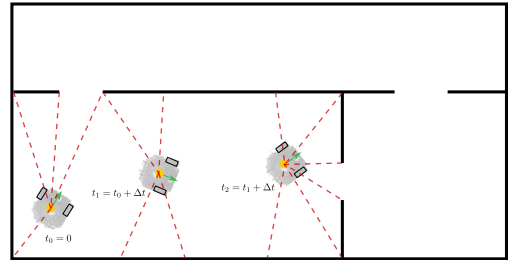
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Incremental Localization

### Localization

- Where is the robot in the world?  
(*future lecture on localization*)



Absolute Localization

# Robot Odometry

## Why is odometry important?

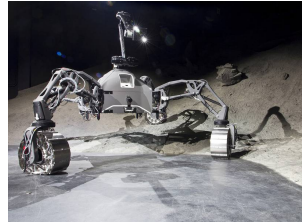
### Applications

The position of mobile robots is required for tasks such as:

- ▶ mapping an environment
- ▶ path planning
- ▶ autonomous navigation
- ▶ ...



Humanoid Robot



Space Rover



Smart Car



Underwater Robot



# Odometry Models

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### Odometry Basic Concept

- ▶ Odometry is used in robotics by wheeled or legged robots to estimate their position relative to a starting location.

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- ▶ Odometry is used in robotics by wheeled or legged robots to estimate their position relative to a starting location.
- ▶ Basic concept:
  - ▶ Develop a mathematical model of how the motion of the robot's wheels, joints, etc. induce motion of the vehicle itself.
  - ▶ Integrate (add up) these motions over time to calculate the robot current position with respect to the previous (initial) location.

### What sensors can be used to measure the robot's motion?

- ▶ **Wheel encoder** (wheel odometry) → in this lecture
- ▶ Joint encoders (leg odometry)
- ▶ IMU: Accelerometer and Gyroscope (inertial odometry)
- ▶ Camera (visual odometry)
- ▶ Laser scanner (lidar odometry)

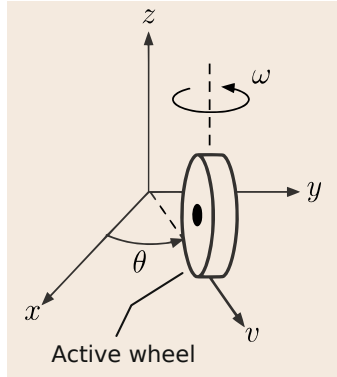
⇒ Sensor fusion

The odometry estimation varies by vehicle design:

- ▶ Unicycle robot model
- ▶ Spherical robot
- ▶ Bicycle robot model
- ▶ Differential drive robot
- ▶ Ackermann steering vehicle
- ▶ Omnidirectional robot
- ▶ ...

# Odometry Models

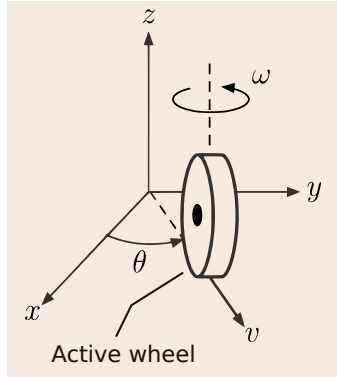
## Wheeled Robot Locomotion



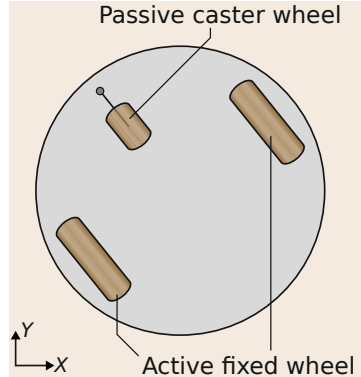
**Unicycle Model:** single upright wheel rolling without sideways slip.

# Odometry Models

## Wheeled Robot Locomotion



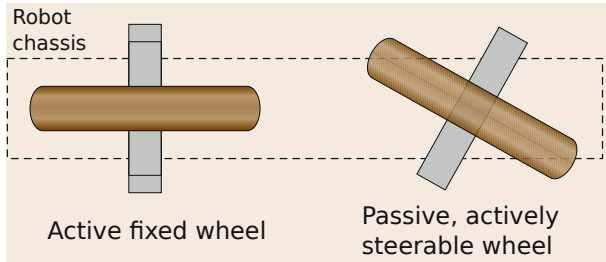
**Unicycle Model:** single upright wheel rolling without sideways slip.



**Differential Drive Model:** two independently driven wheels and a caster wheel.

# Odometry Models

## Wheeled Robot Locomotion

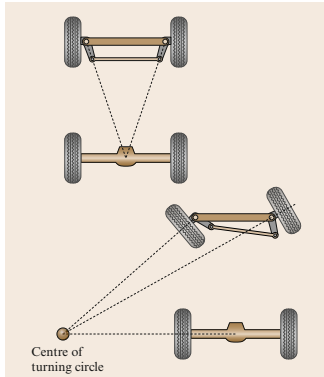


**Bicycle model:** steerable front wheel and active rear wheel.



# Odometry Models

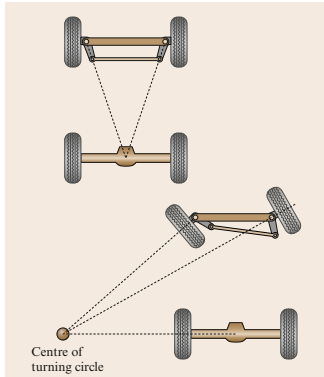
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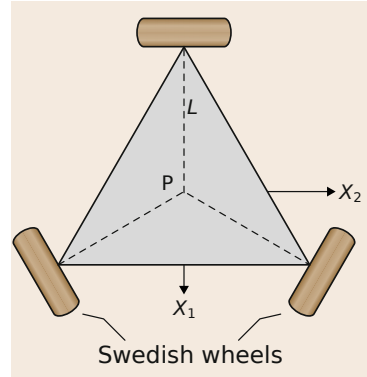
**Ackermann Steering Model:** two fixed active back wheels and two passive front wheels steered at different angles.

# Odometry Models

## Wheeled Robot Locomotion



**Ackermann Steering Model:** two fixed active back wheels and two passive front wheels steered at different angles.



**Omnidirectional Model:** three or more Swedish wheels.

### Robot Motion Constraints

- ▶ Based on the motion they can perform, wheeled robots can be:
  - ▶ Holonomic (omnidirectional robot)
  - ▶ Nonholonomic (car-like robot)

### Robot Motion Constraints

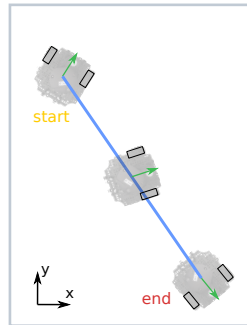
- ▶ Based on the motion they can perform, wheeled robots can be:
  - ▶ Holonomic (omnidirectional robot)
  - ▶ Nonholonomic (car-like robot)
- ▶ This depends in part on the robot wheels type:
  - ▶ Nonholonomic mobile robots employ conventional wheels without sideways slip.
  - ▶ Holonomic mobile robots employ Swedish wheels that allow sideways sliding.



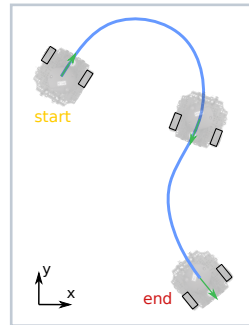
Mobile robot with  
Swedish wheels.

### Robot Motion Constraints

- ▶ Nonholonomic robots have a constraint on velocity, which means that they can not have pure lateral velocity.
- ▶ Despite the velocity constraint, nonholonomic robots can reach any configuration  $(x, y, \theta)$  in an obstacle-free plane.



Holonomic robot



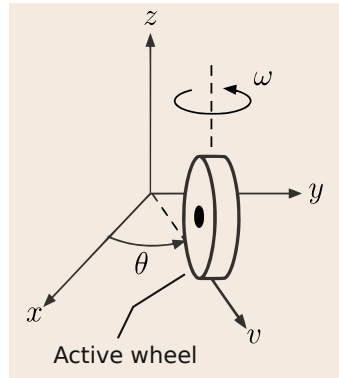
Nonholonomic robot

## Unicycle Model

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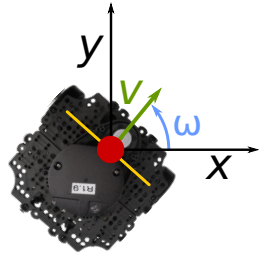
### Unicycle Model

- ▶ Composed by a single upright wheel rolling without sideways slip.
- ▶ This type of robot is unstable without dynamic control to maintain balance.
- ▶ The robot state is described by its position  $(x, y)$  and orientation  $\theta$ .
- ▶ We can control its linear velocity  $v$  and angular velocity  $\omega$ .



### Unicycle Kinematic Model

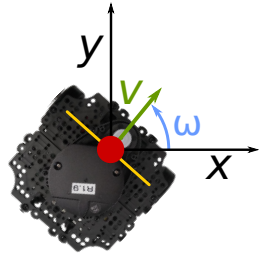
- ▶ Consider the TurtleBot to be a point robot located at the middle distance between the two wheels (red dot).
- ▶ The velocity of the robot is represented by the linear velocity  $v \left[ \frac{m}{s} \right]$  and angular velocity  $\omega \left[ \frac{rad}{s} \right]$ .





### Unicycle Kinematic Model

- ▶ Consider the TurtleBot to be a point robot located at the middle distance between the two wheels (red dot).
- ▶ The velocity of the robot is represented by the linear velocity  $v \left[ \frac{m}{s} \right]$  and angular velocity  $\omega \left[ \frac{rad}{s} \right]$ .
- ▶ The robot incremental motion is described as a:
  - ▶ rotation of  $\Delta\theta = \omega\Delta t$  radians counterclockwise and
  - ▶ translation of  $\Delta d = v\Delta t$  meters forward,where  $\Delta t$  is the sampling time.



### Numerical Example

- ▶ Consider the following linear and angular velocity:

$$v = 2 \text{ m/s}$$

$$\omega = \pi \text{ rad/s}$$

$$\Delta t = 0.1 \text{ s}$$

- ▶ The robot starts at the initial position  $(x_0, y_0) = (0, 0)$  and orientation  $\theta_0 = 0$ .
- ▶ The robot first executes the angular motion, then the linear displacement.

### Solution of Numerical Example

- Compute the robot incremental pose (position  $x, y$  and orientation  $\theta$ ):

$$x = x_0 + \Delta d \cos \theta$$

$$y = x_0 + \Delta d \sin \theta$$

$$\theta = \theta_0 + \Delta \theta$$

### Solution of Numerical Example

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$$\theta = \theta_0 + \Delta \theta \quad \theta = \theta_0 + \omega \Delta t \quad \theta = 0 + \pi * 0.1 = \pi/10 \approx 0.3141 \text{ rad}$$

### Solution of Numerical Example

- Compute the robot incremental pose (position  $x, y$  and orientation  $\theta$ ):

$$\begin{array}{lll} x = x_0 + \Delta d \cos \theta & x = x_0 + v \Delta t \cos \theta & x = 0 + 2 * 0.1 \cos(\pi/10) \approx 0.1902 \text{ m} \\ y = x_0 + \Delta d \sin \theta & y = x_0 + v \Delta t \sin \theta & y = 0 + 2 * 0.1 \sin(\pi/10) \approx 0.0618 \text{ m} \\ \theta = \theta_0 + \Delta \theta & \theta = \theta_0 + \omega \Delta t & \theta = 0 + \pi * 0.1 = \pi/10 \approx 0.3141 \text{ rad} \end{array}$$

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$$\theta = \theta_0 + \Delta \theta \quad \theta = \theta_0 + \omega \Delta t \quad \theta = 0 + \pi * 0.1 = \pi/10 \approx 0.3141 \text{ rad}$$

- At every time step, the current robot pose can be computed incrementally by reapplying the formulas above with the previously computed robot pose.

## Differential Drive Model

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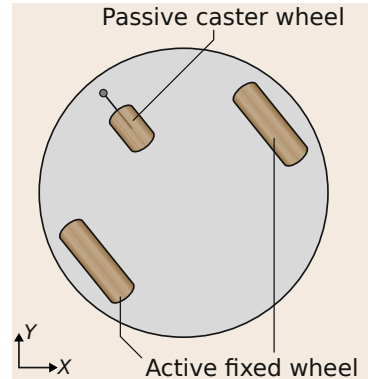


# Differential Drive Model

## Description

### Differential Drive Model

- ▶ It has two driveable wheels which are independently controllable, mounted along a common axis.
- ▶ One or more low-friction caster wheels are used to keep the robot horizontal.

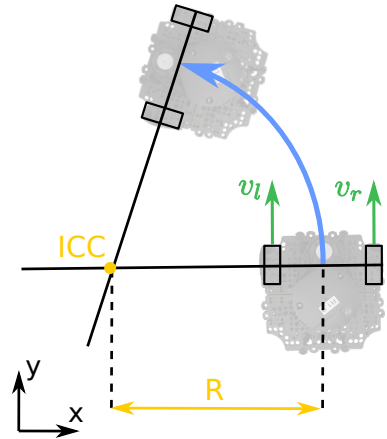


# Differential Drive Model

## Description

### Differential Drive Model

- ▶ The vehicle rotates around a point known as the ICC (**I**ntantaneous **C**enter of **C**urvature) that lies on the wheels' common axis.
- ▶ The robot state is described by its position  $(x, y)$  and orientation  $\theta$ .
- ▶ We can control the robot's linear velocity  $v$  and angular velocity  $\omega$ , by setting the linear velocity of the left wheel  $v_l$  and right wheel  $v_r$ .



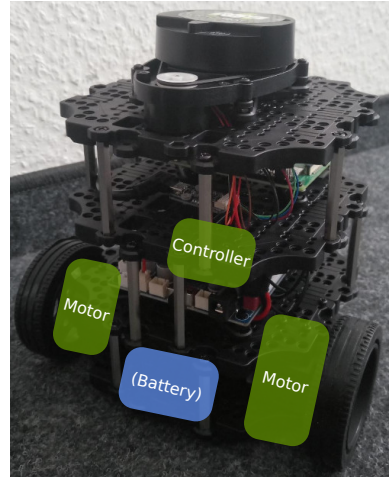
# Differential Drive Model

## TurtleBot Robot

### From a point robot to two wheels

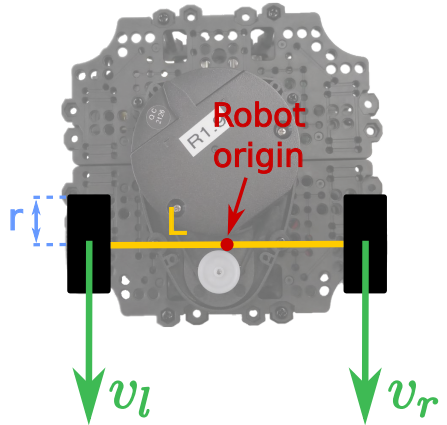
Instead of a point robot, the TurtleBot is now modeled as a robot with:

- ▶ two wheels,
- ▶ two motors, and
- ▶ a motor controller.



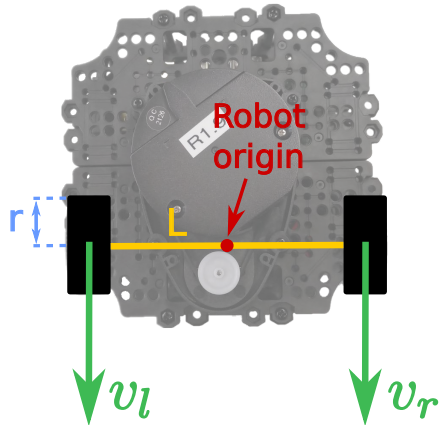
### From a point robot to two wheels

- ▶ The left and right wheel speeds are denoted by  $v_l$  and  $v_r$ .
- ▶ The wheels have radius  $r$ .
- ▶ The common axis where the wheels are mounted has length  $L$  (wheel base).
- ▶ The robot origin is at the middle distance between the two wheels.



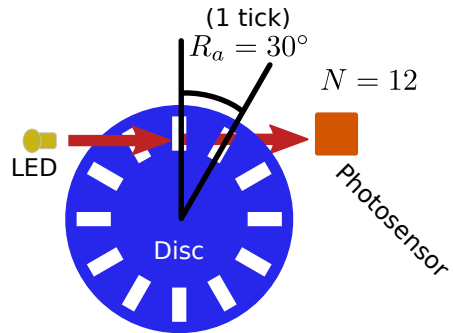
### Differential Drive Model

- ▶ Both wheels move with equal velocity:  
→ straight line.
- ▶ Both wheels move with opposite velocity:  
→ turn in place.
- ▶ One wheel moves slower than the other:  
→ turn in the direction of the slower wheel following a curved path.



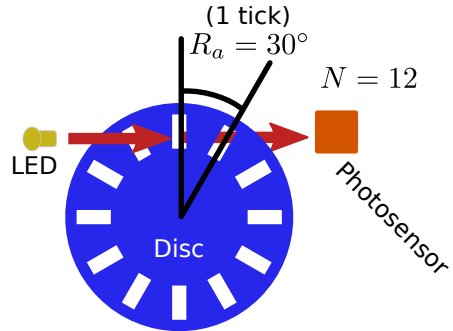
### Wheel Encoder

- ▶ The encoder outputs the number of resolutions  $n$  (tick counts) that the motor has turned in a time interval  $\Delta t$ .



### Wheel Encoder

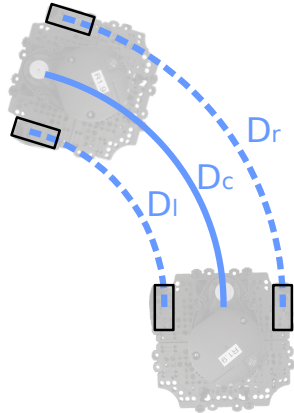
- ▶ The encoder outputs the number of resolutions  $n$  (tick counts) that the motor has turned in a time interval  $\Delta t$ .
- ▶ We know:
  - ▶ the encoder number of ticks  $N$
  - ▶ angular resolution
$$R_a = 2\pi / N \text{ [rad/tick]}$$
  - ▶ on-ground distance resolution
$$R_d = 2\pi r / N \text{ [m/tick]}$$



### How far has the robot traveled?

- ▶ The robot wheels follow an arc trajectory.
- ▶ The distance traveled by the left and right wheels is given by the formula:

$$D_l = D_r = R_d * n$$





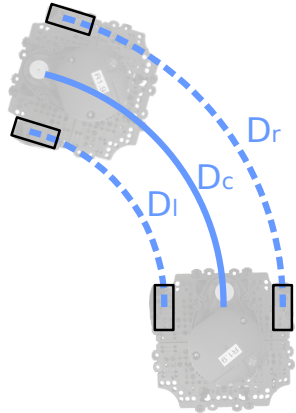
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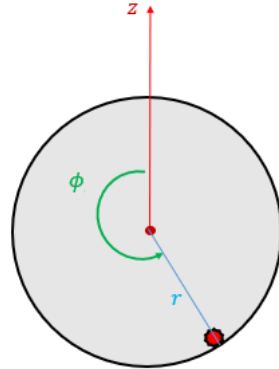
- ▶ The distance traveled by the robot is the average of the left and right wheel distances:

$$D_c = \frac{D_l + D_r}{2}$$



### Wheel Velocities

- ▶ We denote by  $\phi$  the wheel orientation with respect to the world z-axis.

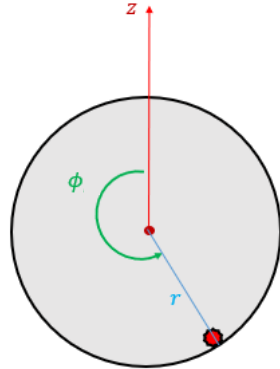


Wheel orientation  $\phi$  and radius  $r$ .  
Source: [https://www.roboticsbook.org/S52\\_diffdrive\\_actions.html](https://www.roboticsbook.org/S52_diffdrive_actions.html)

### Wheel Velocities

- ▶ We denote by  $\phi$  the wheel orientation with respect to the world z-axis.
- ▶ The wheel rotation speed is given by:

$$\dot{\phi} = \frac{R_a * n}{\Delta t}$$



Wheel orientation  $\phi$  and radius  $r$ .  
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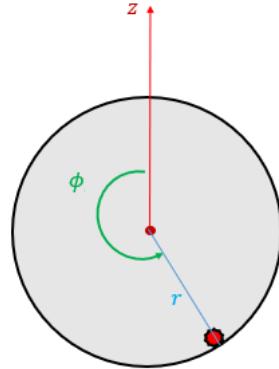
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- ▶ Relationship between the wheel rotation speed and linear wheel velocity:

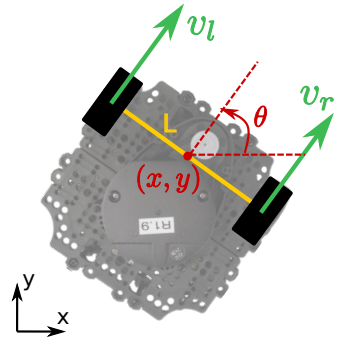
$$v = r\dot{\phi}$$



Wheel orientation  $\phi$  and radius  $r$ .  
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### How to compute the robot's location?

- Known: wheel speed control inputs ( $v_l$ ,  $v_r$ ) and the initial robot pose ( $x_0, y_0, \theta_0$ ).



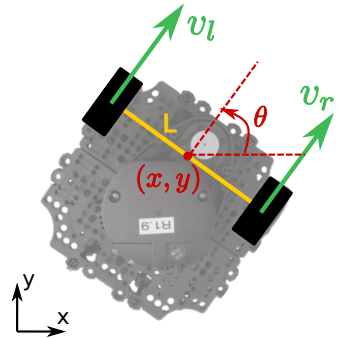
### How to compute the robot's location?

- ▶ Known: wheel speed control inputs ( $v_l$ ,  $v_r$ ) and the initial robot pose ( $x_0, y_0, \theta_0$ ).
- ▶ Incrementally estimate the robot state using the following motion model for the time interval  $\Delta t$ :

$$x = x_0 + \frac{(v_r + v_l)}{2} \Delta t * \cos\theta$$

$$y = y_0 + \frac{(v_r + v_l)}{2} \Delta t * \sin\theta$$

$$\theta = \theta_0 + \frac{(v_r - v_l)}{L} \Delta t$$

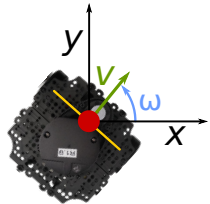


# Differential Drive Model

## Inverse Problem: Velocity Control

### How to compute the wheel speeds?

- ▶ Known: desired linear velocity  $v$  and angular velocity  $\omega$ .
- ▶ What are the left and right wheel speeds ( $v_l, v_r$ )?



# Differential Drive Model

## Inverse Problem: Velocity Control

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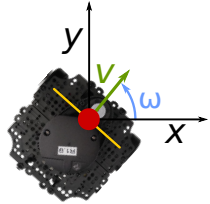
- ▶ Known: desired linear velocity  $v$  and angular velocity  $\omega$ .
- ▶ What are the left and right wheel speeds ( $v_l, v_r$ )?
- ▶ Exploit the unicycle model:

*Unicycle model*

$$x = x_0 + v\Delta t \cos \theta$$

$$y = x_0 + v\Delta t \sin \theta$$

$$\theta = \theta_0 + \omega\Delta t$$





### How to compute the wheel speeds?

- ▶ Known: desired linear velocity  $v$  and angular velocity  $\omega$ .
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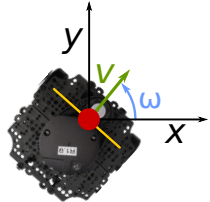
$$\theta = \theta_0 + \omega \Delta t$$

#### *Differential drive model*

$$x = x_0 + \frac{(v_r + v_l)}{2} \Delta t * \cos \theta$$

$$y = y_0 + \frac{(v_r + v_l)}{2} \Delta t * \sin \theta$$

$$\theta = \theta_0 + \frac{(v_r - v_l)}{L} \Delta t$$



### How to compute the wheel speeds?

*Unicycle model*

$$x = x_0 + v \Delta t \cos \theta$$

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*Differential drive model*

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*Differential drive model*

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$$\theta = \theta_0 + \frac{(v_r - v_l)}{L} \Delta t$$

---

$$v = \frac{(v_r + v_l)}{2}$$

$$\omega = \frac{(v_r - v_l)}{L}$$

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*Unicycle model*

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*Differential drive model*

$$x = x_0 + \frac{(v_r + v_l)}{2} \Delta t * \cos \theta$$

$$y = y_0 + \frac{(v_r + v_l)}{2} \Delta t * \sin \theta$$

$$\theta = \theta_0 + \frac{(v_r - v_l)}{L} \Delta t$$

$$v = \frac{(v_r + v_l)}{2} \Rightarrow 2v = v_r + v_l$$

$$\omega = \frac{(v_r - v_l)}{L} \Rightarrow \omega L = v_r - v_l$$

### How to compute the wheel speeds?

*Unicycle model*

$$x = x_0 + v \Delta t \cos \theta$$

$$y = y_0 + v \Delta t \sin \theta$$

$$\theta = \theta_0 + \omega \Delta t$$

*Differential drive model*

$$x = x_0 + \frac{(v_r + v_l)}{2} \Delta t * \cos \theta$$

$$y = y_0 + \frac{(v_r + v_l)}{2} \Delta t * \sin \theta$$

$$\theta = \theta_0 + \frac{(v_r - v_l)}{L} \Delta t$$

$$v = \frac{(v_r + v_l)}{2} \Rightarrow 2v = v_r + v_l \Rightarrow v_l = \frac{2v - \omega L}{2}$$

$$\omega = \frac{(v_r - v_l)}{L} \Rightarrow \omega L = v_r - v_l \Rightarrow v_r = \frac{2v + \omega L}{2}$$

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$$v = \frac{(v_r + v_l)}{2} \Rightarrow 2v = v_r + v_l \Rightarrow v_l = \frac{2v - \omega L}{2} \Rightarrow \dot{\phi}_l = \frac{2v - \omega L}{2r}$$
$$\omega = \frac{(v_r - v_l)}{L} \Rightarrow \omega L = v_r - v_l \Rightarrow v_r = \frac{2v + \omega L}{2} \Rightarrow \dot{\phi}_r = \frac{2v + \omega L}{2r}$$

# Odometry Drift

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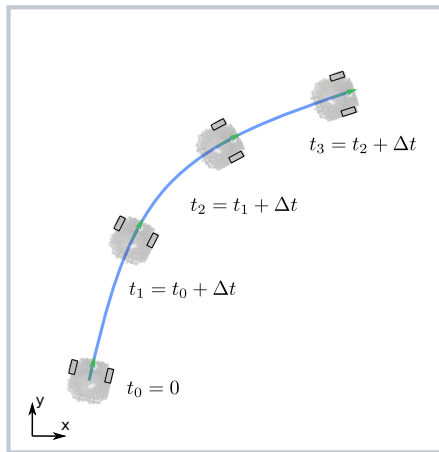
### Real World Problems

- ▶ For our models, we assume the robot drives in a perfect world where we can measure exactly how far the robot moved.
- ▶ In time, the odometry drifts away from the real robot position due to **errors incrementally adding up** at every time step  $\rightarrow$  the error is unbounded!
- ▶ A source of errors is the **integration of velocity measurements over time** to give position estimates (velocity is assumed to be constant for the time interval  $\Delta t$ ).



# Odometry Drift

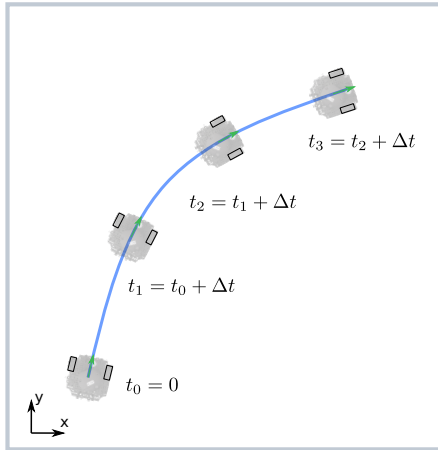
## Accumulation of Odometry Errors



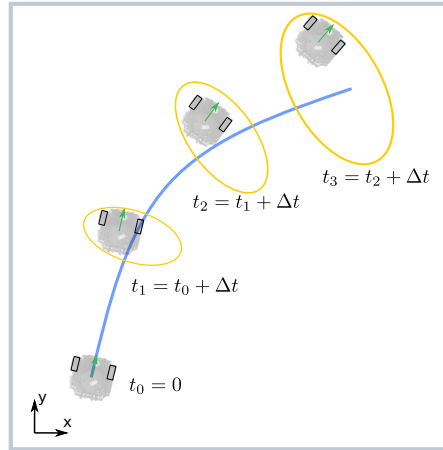
Ideal case (no odometry drift)

# Odometry Drift

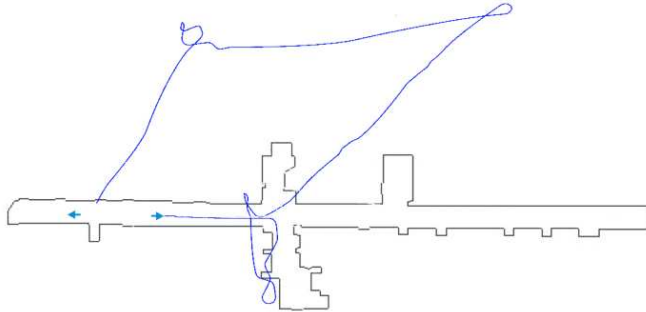
## Accumulation of Odometry Errors



Ideal case (no odometry drift)



Real case (with odometry drift)

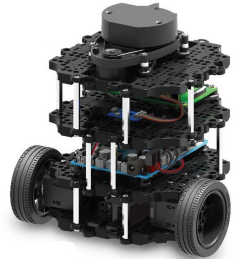


**Figure** – Result of odometry when driving through the corridor of an office building. Errors in the turning angle estimation  $\theta$  lead to very large errors in the Cartesian position estimation  $(x, y)$ .

(Source: *Mobile Roboter, Chapter 4: Fortbewegung*)

### Odometry for Wheeled Robots

- ▶ Problems that can occur in wheel odometry:
  - ▶ Incorrect wheel size (e.g. wheel compaction).
  - ▶ Wheel slippage on icy or wet surfaces.
  - ▶ Losing contact to the ground.
  - ▶ Encoder inaccuracies (e.g. low resolution).

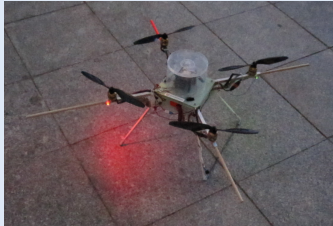


TurtleBot 3 Burger.

### Odometry for Flying, Walking and Diving Robots

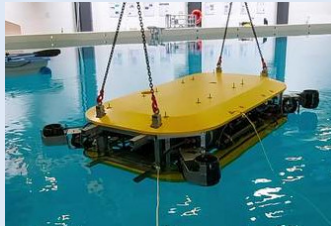
Odometry can be hard to obtain in different environments:

- ▶ Wind/water currents move flying/diving robots.
- ▶ More difficult to calculate on walking robots (forward kinematics).



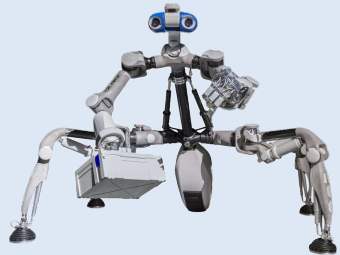
**Microcopter**

TZI/Uni Bremen Student project  
Autonomous QuadCopter 2010



**AUV Cuttlefish**

DFKI, 2021



**Mantis**

DFKI, 2016

## Conclusions and Further Reading

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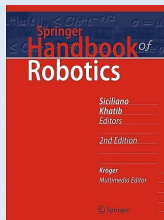
### Summary

- ▶ Odometry provides the robot's **incremental change** in position and orientation.
- ▶ For wheel odometry computation, the robot **motion model** is needed.
- ▶ Some of the most important wheeled robot models are the **unicycle model**, the **differential drive**, the bicycle model, the Ackermann steering model, and the omnidirectional drive.
- ▶ **Odometry drift** occurs due to time integration of velocity measurements and failures of wheel odometry (e.g. wheel slip, inaccurate wheel dimensions).
- ▶ Robots often use both **local and global localization** methods.

### Additional Literature

Springer Handbook of Robotics (English)

- ▶ Chapter 20.1: Odometry



Source: <https://link.springer.com/referencework/10.1007%2F978-3-540-30301-5>

Mobile Roboter (German)

- ▶ Chapter 4.1, 4.2: Fortbewegung



Source: <https://link.springer.com/book/10.1007/978-3-642-01726-1>



### Additional Literature

#### Modern Robotics

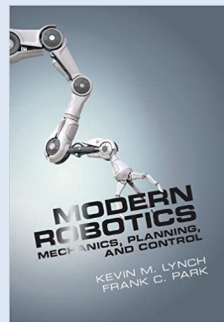
(textbook and video lectures)

- ▶ Chapter 13.3.1: Modeling of Nonholonomic Wheeled Mobile Robots

<https://youtu.be/fPHVh1RFFCk>

- ▶ Chapter 13.4: Odometry

<https://youtu.be/eQ9E0Zvp9jw>



Source: <http://hades.mech.northwestern.edu/images/7/7f/MR.pdf>

Next: Mapping.